

Copy each figure and point *P*. Draw the image of each figure for the given rotation about *P*. Use prime notation to label the vertices of the image.



Copy each figure and point *P*. Then draw the image of  $\overline{JK}$  for a 180° rotation about *P*. Use prime notation to label the vertices of the image.



Point *O* is the center of regular hexagon *BCDEFG*. Find the image of the given point or segment for the given rotation.

- **8.**  $180^{\circ}$  rotation of *B* about *O*.
- **10.**  $360^{\circ}$  rotation of  $\overline{CD}$  about O.
- **11.**  $60^{\circ}$  rotation of *E* about *O*.
- **12.**  $240^{\circ}$  rotation of  $\overline{FE}$  about *O*.



Name	<u> </u>	Date	
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9-3	Practice (continued)	Form G	
	Rotations		
Use the figure at the right for Exercises 13–15. Point $T$ is the center of the regular decagon.		AB	
<b>13.</b> What is the angle of rotation that maps <i>D</i> to <i>A</i> ?			
<b>14.</b> What is the angle of rotation that maps <i>B</i> to <i>H</i> ?			
<b>15.</b> What is th	The angle of rotation that maps $\overline{FG}$ to $\overline{DE}$ ?	G F	
<b>16.</b> Describe	a composition of rotations that maps A to E.		

For Exercises 17 and 18, copy  $\triangle NOP$ . Draw the image of  $\triangle NOP$  for the given composition of rotations about the given point.

**18.** 45°, then 90°; *N* 

**21.** A pie is cut into 12 equal slices. What is the angle of rotation about the center that will map a piece of pie to a piece that is two slices away from it?

**22.**  $\Delta RST$  has vertices at R(0, 3), S(4, 0), and T(0, 0). Find the coordinates of the vertices after a 90° clockwise rotation about *T*.

**23.**  $\Delta FGH$  has vertices F(-1, 2), G(0, 0), and H(3, -1). Find the coordinates of the vertices after a 90° rotation about *G*.